



Discourses  
&  
Mathematical Illustrations  
pertaining to the

# *Extinction Shift Principle*

under the Electrodynamics of  
Galilean Transformations



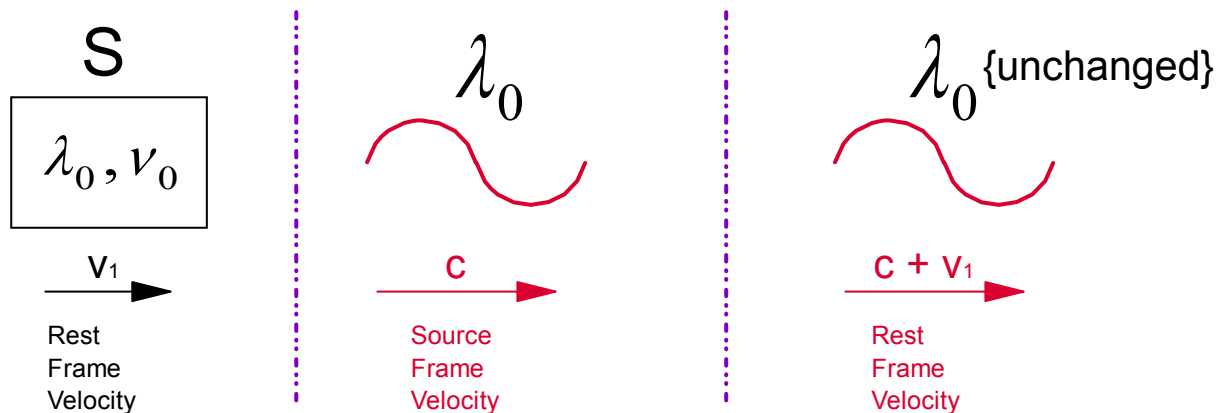
# Definition of *Extinction Shift*



## *Electromagnetism*

Any wave of wavelength  $\lambda_0$  and frequency  $\nu_0$  of a *primary* electromagnetic wave will propagate along an interference-free path with velocity  $c$  relative to its most **DIRECT** source **S** which moves with velocity  $v_1$ , but with velocity  $c + v_1$  relative to the rest frame.

IDEAL VACUUM



The *undisturbed* wavelength  $\lambda_0$  will remain unchanged {preserved in all other frames of reference}, along an interference-free path, independent of the source velocity.

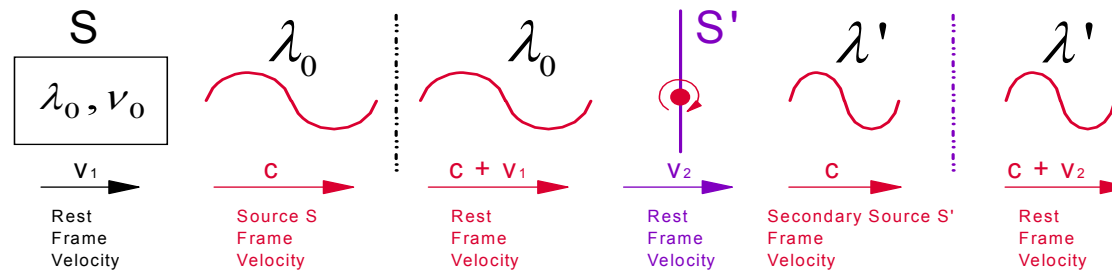
# Definition of *Extinction Shift*



## *Electromagnetism*

Upon interference, the *primary* wave of velocity  $C$  relative to  $\mathbf{S}$  and wavelength  $\lambda_0$  is extinguished via mater-wave interaction, thus terminating the interference-free path at the point of interference, namely, the **SECONDARY** source  $\mathbf{S}'$  moving with velocity  $v_2$ . Therefrom a *secondary* wave is re-emitted on the frequency  $\nu' = \nu_0(1 + \frac{v_1 - v_2}{c})$  as would be noted in the frame of reference of the *secondary* source.

### IDEAL VACUUM



The re-emitted *secondary* wave will have the *undisturbed* wavelength  $\lambda' = \frac{c}{\nu'} = \lambda_0(1 + \frac{v_1 - v_2}{c})^{-1}$  {preserved in all frames} and will propagate along an interference free path with velocity  $C$  relative to  $\mathbf{S}'$ , with velocity  $c + v_2$  relative to the rest frame and with velocity  $c + v_2 - v_1$  relative to  $\mathbf{S}$ .

## Definition of *Extinction Shift*



### *Electromagnetism*

Similarly, upon interference, the *secondary* wave of velocity  $C$  relative to  $\mathbf{S}'$  and wavelength  $\lambda'$  is extinguished via mater-wave interaction, thus terminating the interference-free path at the point of interference, namely, the **TERTIARY** source  $\mathbf{S}''$  moving with velocity  $v_3$ . Therefrom a *tertiary* wave is re-emitted on the frequency  $\nu'' = \nu' \left(1 + \frac{v_1 - v_2}{c}\right) \left(1 + \frac{v_2 - v_3}{c}\right)$  as would be noted in the frame of reference of the *tertiary* source moving with velocity  $v_3$ .

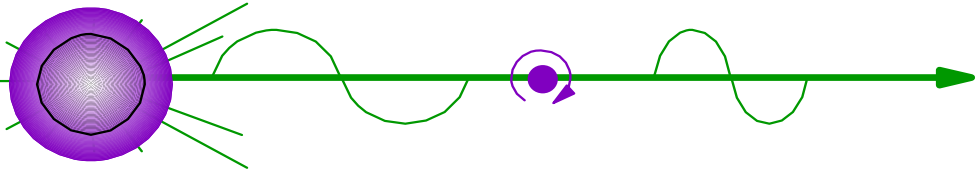
The re-emitted *tertiary* wave will have the *undisturbed* wavelength

$$\lambda'' = \frac{c}{\nu''} = \lambda_0 \left(1 + \frac{v_1 - v_2}{c}\right)^{-1} \left(1 + \frac{v_2 - v_3}{c}\right)^{-1} \quad \{\text{preserved in all frames}\} \text{ and will propagate along an}$$

interference free path with velocity  $C$  relative to  $\mathbf{S}''$  and with velocity  $c + v_3$  relative to the rest frame.

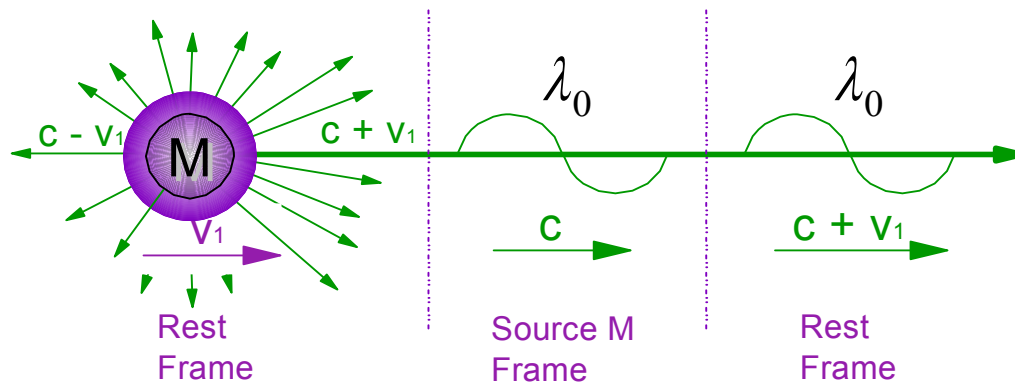
Similarly, any N-ary wave will be re-emitted with velocity  $C$  relative to its N-ary source of velocity  $v_N$  and will propagate with velocity  $c + v_N$  relative to the rest frame.

# Definition of *Extinction Shift*



## *Gravitation*

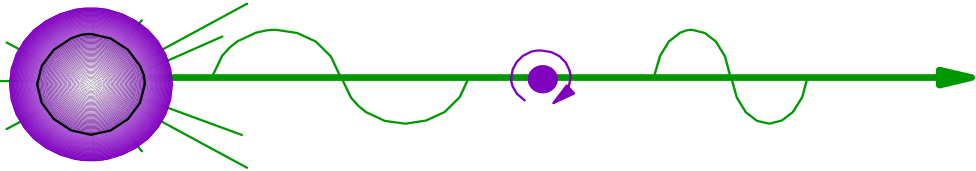
A gravitation field set up by a mass particle  $M$  will propagate along an interference free path with velocity  $c$  relative to its most **DIRECT** source  $M$  which move with velocity  $v_1$  relative to the rest frame. Analogous to the case of electromagnetism, any information on  $M$ , as can be extracted from the *primary* gravitational wave of wavelength  $\lambda_0$  would propagate with velocity  $c$  relative to  $M$ , moving with velocity  $v_1$ , but with velocity  $c + v_1$  relative to the rest frame.



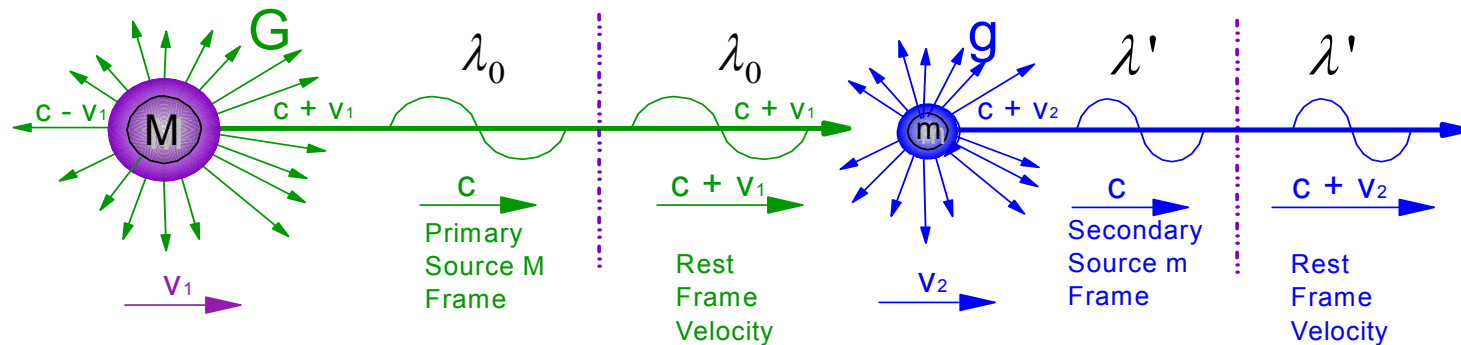
The *undisturbed* gravitational wavelength  $\lambda_0$  will remain unchanged {preserved in all other frames of reference}, independent of the source velocity.

Details: Refer to book: *Discourses & Mathematical Illustrations pertaining to the Extinction Shift Principle under the Electrodynamics of Galilean Transformations*  
Dr. Edward Henry Dowdye, Jr. ISBN: 0-9634471-5-7. Web-Site <http://www.extinctionshift.com>

# Definition of *Extinction Shift*



## Gravitation



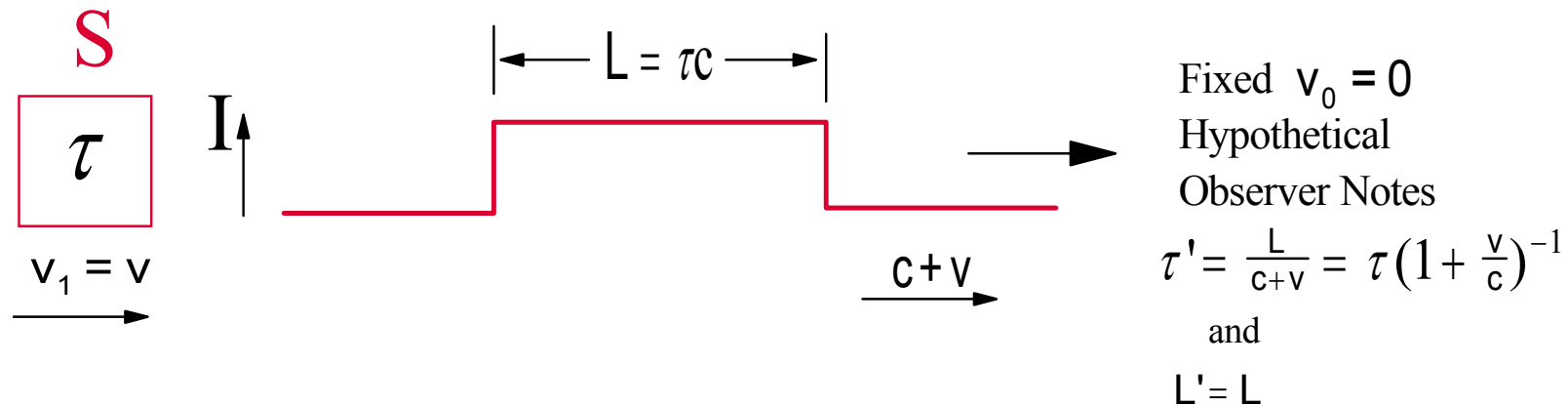
The *primary* gravitational wave, bearing information on its most DIRECT source, the mass particle M, propagates with velocity  $C$  relative to M which move with velocity  $v_1$  relative to the rest frame. Assume the *primary* wave propagates with wavelength  $\lambda_0$  and velocity  $c + v_1$  relative to the rest frame. It would have the velocity  $c + v_1 - v_2$  relative to the particle m, perturbing it, causing it to wiggle at the frequency  $\nu' = \frac{c + v_1 - v_2}{\lambda_0} = \nu_0 \left(1 + \frac{v_1 - v_2}{c}\right)$ .

The gravitation set up by the wiggling m conveys *indirect* information on M via a *secondary* wave of wavelength  $\lambda' = \frac{c}{\nu'} = \lambda_0 \left(1 + \frac{v_1 - v_2}{c}\right)^{-1}$ , propagating with velocity  $C$  relative to m, with velocity  $c + v_2$  relative to the rest frame and velocity  $c + v_1 - v_2$  relative to M.

# Extinction Shift Principle

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**AXIOM 1** Let a resting *hypothetical observer* of velocity  $\mathbf{v}_0 = \mathbf{0}$  read the output of an experiment and note the *undisturbed* light pulse of intensity  $\mathbf{I}$ , created by the moving source  $\mathbf{S}$  of velocity  $\mathbf{v}_1 = \mathbf{v}$ . The time duration of the pulse of length  $L$  in the frame of reference of  $\mathbf{S}$  is  $\tau = \frac{L}{c}$  and is moving with velocity  $c$  relative to  $\mathbf{S}$ . The *hypothetical observer* would note the time duration of  $\tau' = \tau \left(1 + \frac{v_1 - v_0}{c}\right)^{-1}$  of the light pulse and its *undisturbed* velocity  $\mathbf{c} + \mathbf{v}_1 - \mathbf{v}_0 = \mathbf{c} + \mathbf{v}$ .



# Extinction Shift Principle

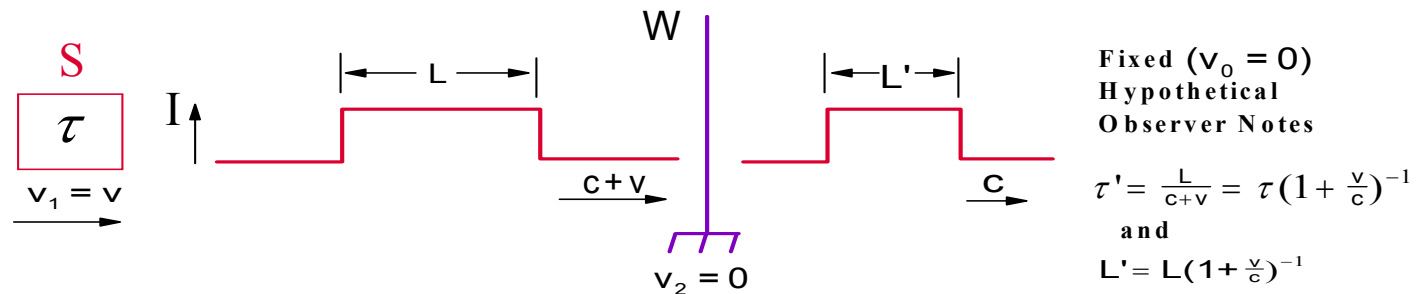
Pure Classical Physics ▪ Euclidean Space ▪ Galilean Transformations

**AXIOM 2** The *undisturbed* primary light pulse of length  $L$  from the *primary* moving source  $S$  ( $v_1 = v$ ) is incident at a fixed window  $W$  ( $v_2 = 0$ ) with the relative velocity  $C + v_1 - v_2 = C + v$ . The *primary* pulse is absorbed and propagated in the window medium with an *effective* velocity of  $C/n$ , where  $n$  is the index of refraction of the window medium. A new pulse is then re-emitted by  $W$ , a *new secondary* source, with velocity  $C + v_2 = C$  relative to the rest frame.

In the process of re-emission, from the *primary* moving source  $S$  to the fixe *secondary* source  $W$ , the velocity of propagation is shifted by the factor  $\frac{c}{c+v} = (1 + \frac{v}{c})^{-1}$  from the *primary* to *secondary* wave.

The time duration for the illumination of the incident face of the window by the *primary* pulse and the emission of the *secondary* pulse at the other face remains unchanged. Thus, the *extinction shift* will result in a decrease/increase length of the re-emitted pulse by the factor  $(1 \pm \frac{v}{c})^{-1}$  for an approaching/receding light source of velocity  $\pm v$ .

Hence, only the *extinction shifted* pulse of length  $L' = L(1 + \frac{v}{c})^{-1}$  is measurable for the approaching source  $S$ !



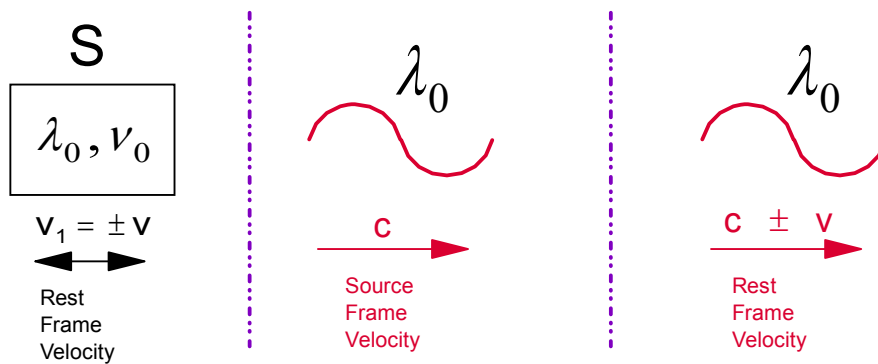
The *primary* pulse of length  $L$  is **not** measurable!



# Extinction Shift Principle

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**AXIOM 3** Let a resting *hypothetical observer* of velocity  $v_0 = 0$  read the output of an experiment and note the *undisturbed* wavelength created by the moving primary source **S** of velocity  $v_1 = v$ . The *hypothetical observer* would note that the *undisturbed, extinction free primary* wave of wavelength  $\lambda_0$  is independent of both the source **S** velocity  $v_1$  and the *hypothetical observer's* own velocity  $v_0$ .



**Hypothetical Observer** ( $v_0 = v_1$ )

in **S** frame notes

$$v' = v_0 \left(1 + \frac{v_1 - v_0}{c}\right) = v_0$$

$$\lambda' = \lambda_0$$

**Hypothetical Observer** ( $v_0 = 0$ )

in **rest frame** notes

$$v' = v_0 \left(1 \pm \frac{v}{c}\right)$$

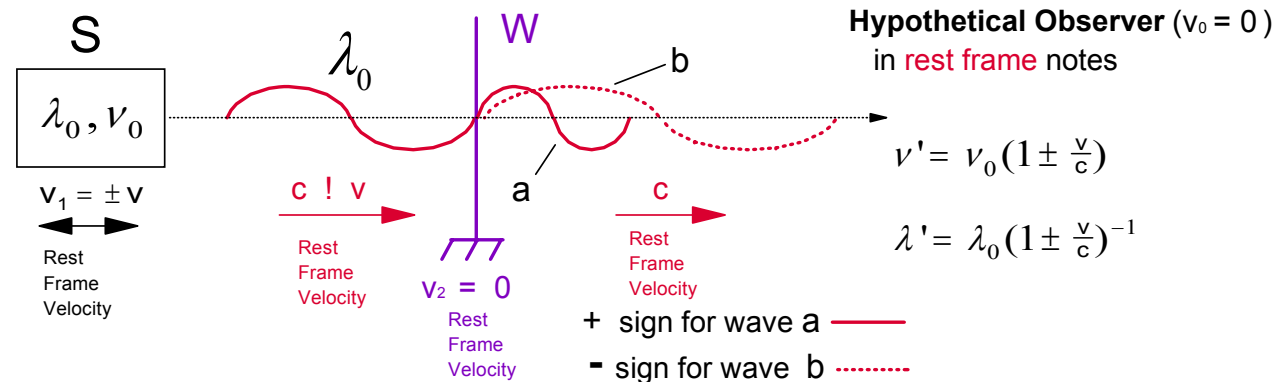
$$\lambda' = \lambda_0$$

The *undisturbed* wavelength  $\lambda_0$  does **not** depend on the frame of reference!

# Extinction Shift Principle

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**AXIOM 4** Any measurement on the primary *undisturbed* wave by ordinary means would cause the velocity and wavelength of the primary wave from the primary source **S** of velocity  $v_1 = \pm v$  to be re-emitted. The primary wave is *extinguished* and re-emitted with velocity **C** relative to the secondary source, namely, the window **W**. The dipoles in the window medium become secondary sources of emission and vibrate in phase with the wave incident at the boundary of **W**. The *secondary* wave is re-emitted with velocity **C** relative to its interference, namely, its secondary source **W**, but with velocity  $C \pm v$  relative to the rest frame. **The relative frequency of the primary wave is unaltered during the process of re-emission into a secondary wave at the interference {W}, as would be noted by any observer in the frame of reference of the interference!**

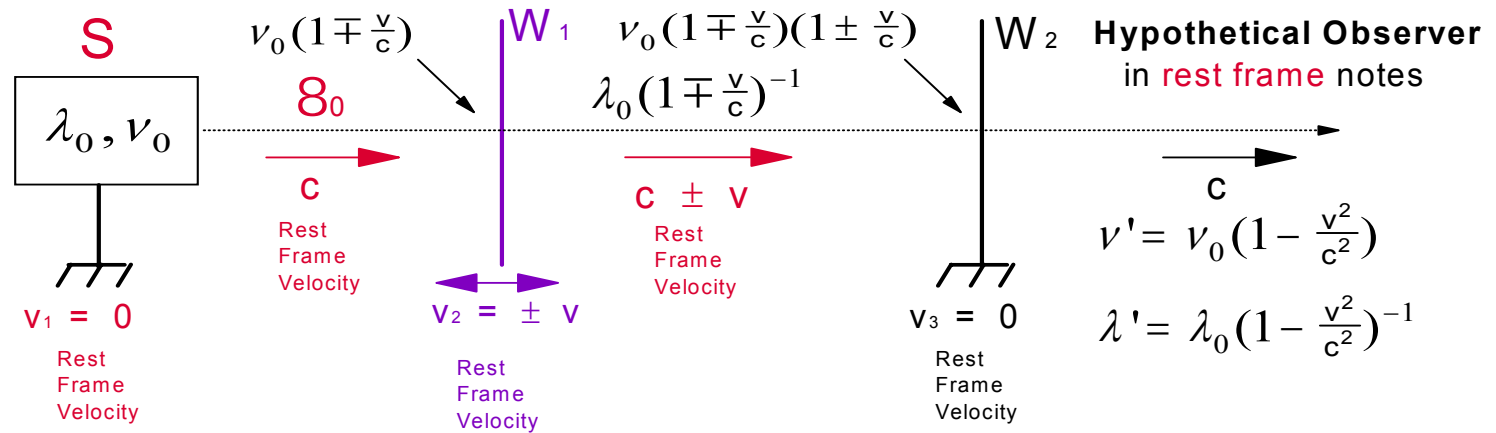


Any measurement on the *primary undisturbed* wave of wavelength  $\lambda_0$  by ordinary means would result in an observation of an *extinction shifted* wave of wavelength  $\lambda'$  !!! **{WINDOW AXIOM}**.

# Extinction Shift Principle

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**AXIOM 5** The window  $W_1$  recedes/approaches a fixed primary source  $S$  that is at rest ( $v_1 = 0$ ) and is illuminated at the relative frequency  $\nu_0(1 \mp \frac{v}{c})$  by  $S$  whose frequency is  $\nu_0$ .  $W_1$  then re-emits a **new** wave on the frequency  $\nu_0(1 \mp \frac{v}{c})(1 \pm \frac{v}{c}) = \nu_0(1 - \frac{v^2}{c^2})$  with velocity  $C \pm V$  relative to the rest frame as would be noted by an observer in that frame of reference. A fixed  $W_2$  extinguishes this wave and then re-emits a **new** wave on the relative frequency  $\nu_0(1 - \frac{v^2}{c^2})$  of  $W_1$  as would be perceived in the reference frame of  $W_2$  with velocity  $C$  relative to  $W_2$ .

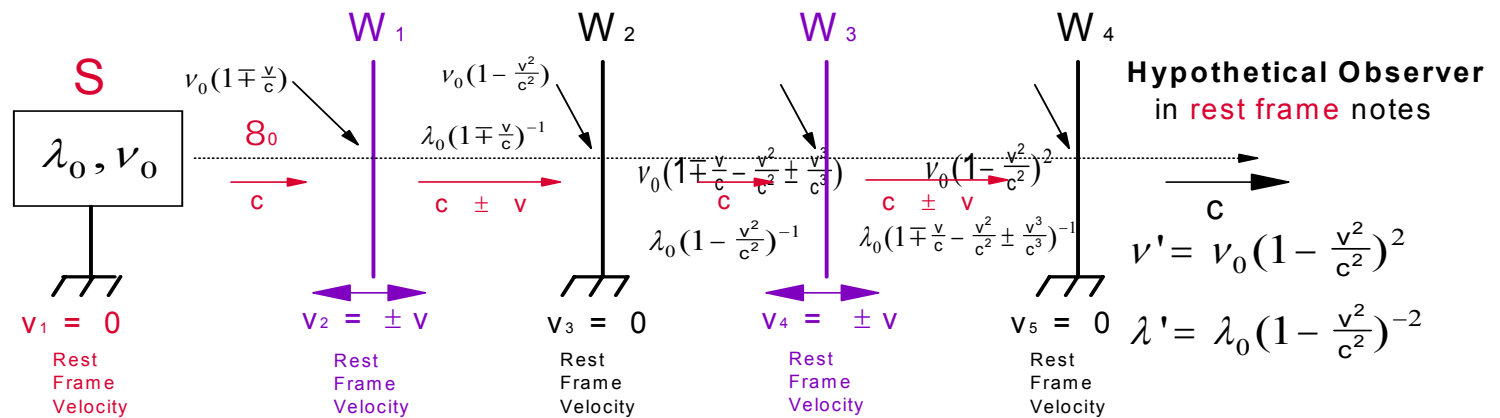


The frequency noted at the output of a moving window is always a **red shifted** frequency  $\nu' = \nu_0(1 - \frac{v^2}{c^2})$ , and is independent of the direction of the window motion. **{WINDOW AXIOM}**.

# Extinction Shift Principle

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**AXIOM 6** A second moving window  $W_3$  recedes/approaches a fixed secondary source  $W_2$  that is at rest ( $v_3 = 0$ ) and is illuminated at the relative frequency  $\nu_0(1 \pm \frac{v}{c} - \frac{v^2}{c^2} \mp \frac{v^3}{c^3})$  by  $W_2$  whose frequency is  $\nu_0(1 - \frac{v^2}{c^2})$ , the output of the experiment in **AXIOM 5**.  $W_3$  then re-emits a **new** wave on the frequency  $\nu_0(1 - \frac{v^2}{c^2})(1 \pm \frac{v}{c}) = \nu_0(1 - \frac{v^2}{c^2})^2$  with velocity  $C \pm V$  relative to the rest frame as would be noted by an observer in that frame of reference. A fixed  $W_4$  extinguishes this wave and then re-emits a **new** wave on the relative frequency  $\nu_0(1 - \frac{v^2}{c^2})^2$  of  $W_3$  as would be perceived in the reference frame of  $W_4$  with velocity  $C$  relative to  $W_4$ .



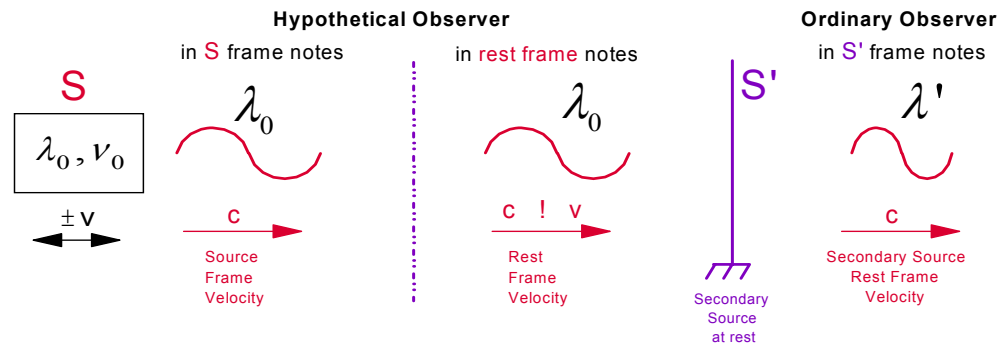
The frequency noted at the output of **two** moving windows separated by fixed interference  $\nu' = \nu_0(1 - \frac{v^2}{c^2})^2$ , and is again independent of the direction of the window motion. **{WINDOW AXIOM}**.

# Extinction Shift Principle

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INVARIANCE of the **WAVE EQUATION**

$$\frac{\partial^2 \Phi}{\partial x^2} + \frac{\partial^2 \Phi}{\partial y^2} + \frac{\partial^2 \Phi}{\partial z^2} - \frac{1}{c^2} \frac{\partial^2 \Phi}{\partial t^2} = 0$$



The *hypothetical observer* would find  $\Phi = \Phi_0 \sin 2\pi(vt + \frac{1}{\lambda}x)$  to be a solution of the wave equation of the *primary* wave at velocity  $c$  relative to **S**, where  $v\lambda = c$ , but at velocity  $c' \neq c$  relative to the rest frame. The *ordinary observer* would find  $\Phi' = \Phi'_0 \sin 2\pi(v't' + \frac{1}{\lambda'}x')$  to be a solution of the wave equation of the *secondary* wave at velocity  $c$  relative to **S'**.

{**Important Note!!!**: There is **no** time dilation in **Euclidean Space** under electrodynamics of **Galilean Transformations!** Thus  $t' = t$ .} Both the *hypothetical* and the *ordinary* observer would find that the velocity of the wave being observed is always

$$v' \lambda' = [v(1 \pm \frac{v}{c})][\lambda(1 \pm \frac{v}{c})^{-1}] = v\lambda = c \text{ relative to its most primary source.}$$

Differentiating the equation for  $\Phi$  twice after  $t$  and  $x$ , the *hypothetical observer* gets  $\frac{\partial^2 \Phi}{\partial t^2} = -\Phi (2\pi)^2 v^2 = v^2 \lambda^2 \frac{\partial^2 \Phi}{\partial x^2}$  and

$$\frac{\partial^2 \Phi}{\partial x^2} + \frac{\partial^2 \Phi}{\partial y^2} + \frac{\partial^2 \Phi}{\partial z^2} - \frac{1}{v^2 \lambda^2} \frac{\partial^2 \Phi}{\partial t^2} = 0. \text{ The ordinary observer derives } \frac{\partial^2 \Phi'}{\partial x'^2} + \frac{\partial^2 \Phi'}{\partial y'^2} + \frac{\partial^2 \Phi'}{\partial z'^2} - \frac{1}{v'^2 \lambda'^2} \frac{\partial^2 \Phi'}{\partial t'^2} = 0.$$